

June 10, 1965

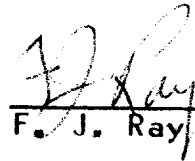
Company: Shar Alan Oil Company
Well: Bari-Federal #2
Location: 790' FNL & 1000' FEL Sec. 3-23N-1W
Rio Arriba County, New Mexico

SUBJECT: Tabulation of all deviation tests run:

Deviation Tests

<u>Feet</u>	<u>Degrees</u>
415	2°
920	1°
1410	1°
1995	1 1/2°
2490	1 3/4°
2975 TD	2°

I hereby swear (or affirm) that the statements made are a full and correct report.


F. J. Ray


STATE OF NEW MEXICO)
COUNTY OF SAN JUAN)

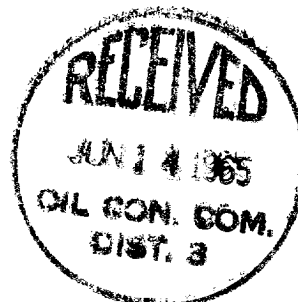
The foregoing instrument was acknowledged before me this _____ day of June, 1965 by F. J. Ray, President of Rayco Drilling Co.

Witness my hand and official seal.

My Commission Expires:

My Commission expires September 11, 1967


Notary Public



1. The first part of the paper is devoted to the study of the properties of the function $f(x)$ defined by the equation

$$f(x) = \frac{1}{x} \int_0^x f(t) dt$$

where $f(x)$ is a function defined on the interval $(0, \infty)$ and satisfying the condition $f(x) = f(1/x)$. It is shown that the function $f(x)$ is constant on the interval $(0, \infty)$.

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