

OIL CONSERVATION COMMISSION

BOX 2045

HOBBS, NEW MEXICO

DATE Oct. 24, 1956

MR. W. B. MACEY  
OIL CONSERVATION COMMISSION  
P. O. BOX 871  
SANTA FE, NEW MEXICO

RE:  
PROPOSED NFO. ORDER NO. 298

Dear Mr. Macey:

I have examined the application for "No Flare Order " for the  
Continental Oil Co. SEMU-Queen #52      25-20-37  
Lease and Well No.    S-T-R

and my recommendations are:

O.K. —C.R.

O.K. —J.W.R.

Yours very truly,

OIL CONSERVATION COMMISSION

Engineer-District 1

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$$f'(x) = -2x^{-3}$$

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