

Calculation of Drainage Areas

$$P_c = 670 \text{ psia}$$

$T_c = 387 \text{ degrees R}$ are the critical properties of the Feather Morrow gas

$T = 184 \text{ degrees F}$ or 644 degrees R is the bottomhole temperature

$P = 5481 \text{ psia}$ is the original bottom-hole pressure from DST #3 on UTP #1

$$\text{Then, } P_r = \text{Pressure}/P_c = 5481/670 = 8.18$$

$$T_r = \text{Temperature}/T_c = 644/387 = 1.66$$

The Standing and Katz chart says the Compressibility Factor (z) = 1.02 for this gas.

$$\text{The formation volume factor is } B_g = 35.35 * P / z * T$$

$$\text{where } P = 5481 \text{ psi}$$

$$z = 1.02$$

$$T = 644 \text{ degrees R}$$

$$\text{so that } B_g = 35.35 * 5481 / (1.02 * 644)$$

$$B_g = 295 \text{ Scf per cubic foot}$$

Then, we calculate the drainage area (A) from the volumetric equation

$$G_p = R_f * 43560 * A * H * \Phi * (1 - S_w) * B_g$$

where G_p = Gas Produced in Scf

R_f = Recovery Factor (assumed equal to 0.80 for normal rock)

A = Drainage Area in acres

H = Reservoir height in feet

Φ = Reservoir porosity, fraction

S_w = Water Saturation, fraction

B_g = Formation Volume Factor in Scf/cubic foot

Note that $H * \Phi * (1 - S_w) = H * \Phi * S_g$ is the hydrocarbon pore volume calculated for each of the wells.

$$\text{Now } G_p = 0.80 * 43560 * A * [H * \Phi * S_g] * 295$$

$$G_p = 5.719 * 10^6 * A * [H * \Phi * S_g]$$

$$\text{and } A = 1.748 * 10^{-7} * G_p / [H * \Phi * S_g]$$

where we already know the equivalent gas produced (G_p) and the hydrocarbon pore volume ($H * \Phi * S_g$) for each of the wells.

As an example for the current drainage area of the UTP #1 well,

$$A = 1.748 * 10^{-7} * 1.792 * 10^9 / 1.826$$

$$A = 313.2 / 1.826 = 172 \text{ acres}$$

Yates Petroleum

Case 12596

Exhibit 17