

STATE OF NEW MEXICO

ENERGY, MINERALS AND NATURAL RESOURCES DEPARTMENT

OIL CONSERVATION DIVISION

GARREY CARRUTHERS
GOVERNOR

March 8, 1989

POST OFFICE BOX 2088
STATE LAND OFFICE BUILDING
SANTA FE, NEW MEXICO 87504
(505) 827-5800

CERTIFIED - RETURN
RECEIPT REQUESTED

Mr. Tom L. Ingram
P. O. Box 1757
Roswell, New Mexico 88201

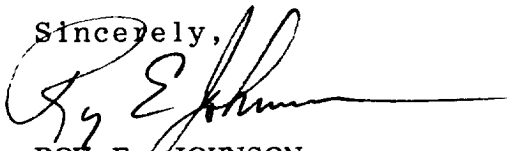
Re: Gihon Well No. 1
G-31-13N-30E
Chappell "5" Well No. 1
E-5-12N-30E, San Miguel County, New Mexico

Dear Mr. Ingram:

In regards to our conversation in January with respect to plugging the above-referenced wells, this office has been notified by several individuals concerning the proper and timely plugging of these wells. This office appreciates the difficult task of operators coming out of Chapter 11. However, we also feel that the proper plugging and abandonment of these wells should also be a major part of your reorganizational endeavors. This office, therefore, requests that you file the appropriate sundry notices stating the dates plugging operations are to be commenced. Failure to do so will result in the appropriate action by the Division's legal department.

Should you have any questions concerning this matter, please contact me at this office.

Sincerely,



ROY E. JOHNSON,
Sr. Petroleum Geologist

REJ/dr

cc: Bill LeMay, Director

P-106 675 008

RECEIPT FOR CERTIFIED MAIL

INSURANCE COVERAGE PROVIDED

ADD. FOR INTERNATIONAL MAIL

(See Reverse)

PS Form 3800, June 1985

Sent to Tom L. Ingram	
Street and No. Box 1757	
P.O., State and ZIP Code Roswell, N.M. 88201	
Postage	\$
Certified Fee	
Special Delivery Fee	
Restricted Delivery Fee	
Return Receipt showing to whom and Date Delivered	
Return Receipt showing to whom, Date, and Address of Delivery	
TOTAL Postage and Fees	\$
Postmark or Date	

1. The first part of the paper is devoted to the study of the asymptotic behavior of the solutions of the system (1) as $t \rightarrow \infty$. It is shown that the solutions of the system (1) are bounded and tend to zero as $t \rightarrow \infty$ if and only if the matrix A is stable. The second part of the paper is devoted to the study of the asymptotic behavior of the solutions of the system (1) as $t \rightarrow \infty$ for the case when the matrix A is not stable. It is shown that the solutions of the system (1) are bounded and tend to zero as $t \rightarrow \infty$ if and only if the matrix A is stable.

Figure 1. The effect of the concentration of the *Agrobacterium* strain on the transformation efficiency of *Agrobacterium* strain 101. The concentration of the *Agrobacterium* strain 101 was varied from 10⁶ to 10⁹ cells/ml. The transformation efficiency was determined by the number of transformants per 10⁶ cells of the *Agrobacterium* strain 101. The data are the mean \pm SD of three independent experiments.

the following theorem, which is a special case of the general theorem of [10].

[illegible][illegible]

For $\lambda \in \mathbb{C}$, let \mathcal{H}_λ be the Hilbert space of functions f on \mathbb{R}^n such that $\|f\|_\lambda^2 = \int_{\mathbb{R}^n} |f(x)|^2 e^{-\lambda|x|^2} dx < \infty$. Let \mathcal{H}_0 be the space of functions f on \mathbb{R}^n such that $\|f\|_0^2 = \int_{\mathbb{R}^n} |f(x)|^2 dx < \infty$. Let \mathcal{H}_∞ be the space of functions f on \mathbb{R}^n such that $\|f\|_\infty^2 = \int_{\mathbb{R}^n} |f(x)|^2 dx < \infty$. Let \mathcal{H}_λ be the space of functions f on \mathbb{R}^n such that $\|f\|_\lambda^2 = \int_{\mathbb{R}^n} |f(x)|^2 e^{-\lambda|x|^2} dx < \infty$. Let \mathcal{H}_0 be the space of functions f on \mathbb{R}^n such that $\|f\|_0^2 = \int_{\mathbb{R}^n} |f(x)|^2 dx < \infty$. Let \mathcal{H}_∞ be the space of functions f on \mathbb{R}^n such that $\|f\|_\infty^2 = \int_{\mathbb{R}^n} |f(x)|^2 dx < \infty$.

(continued from page 10)

They were concerned that the "new" and "old" were not understood as they should be. In a letter to the *Washington Post*, they wrote: