

PECOS DRILLING COMPANY
Artesia, New Mexico

February 27, 1964

Newmont Oil Company
Rowley Building
Artesia, New Mexico

Re: West Loco Hills Unit
Tract 15, Well No. 3

Listed below are the results of the totco test run during
the drilling of this well:

450'	3/4°
900'	1 1/2°
1310'	1 3/4°
1750'	1 1/4°
2100'	1 1/4°
2475'	3/4°
2735'	1°

RECEIVED
FEB 27 1964

Ken Reynolds
Ken Reynolds

Subscribed and sworn to before me this 27th day
of February, 1964.

My commission expires:

December 28, 1967

Virginia Burch
Notary Public

1. The first part of the paper is devoted to the study of the properties of the function $f(x)$ defined by the equation

$$f(x) = \int_0^x f(t) dt + \int_0^x g(t) dt$$

where $f(x)$ and $g(x)$ are continuous functions on the interval $[0, 1]$. It is shown that the function $f(x)$ is continuous on the interval $[0, 1]$ and that it satisfies the equation

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