

STATE OF NEW MEXICO
OIL CONSERVATION COMMISSION
1000 Rio Brazos Road
Aztec, New Mexico 87410

March 8, 1968

McCulloch Oil Corporation of California

924 Vaughn Building

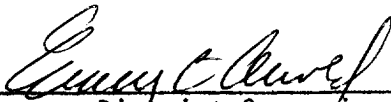
Midland, Texas 79704

Attention: Mr. K. G. Cervenka

SUBJECT: NON-STANDARD GAS PRORATION UNIT CONSISTING OF 331.47 ACRES
IN THE Basin Dakota GAS POOL DESCRIBED AS
FOLLOWS:

TOWNSHIP 30 NORTH, RANGE 14 WEST, NMPM
SECTION: 35 West half

By authority granted me by Rule 5(B) of Order No. R-1670, as amended, the
above-described acreage has been approved as a non-standard gas proration
unit to be dedicated to the Aztec
Well No. 1 X, located 790' from N. line & 1850' from W. line of said
Section 35.



District Supervisor
District #3

cc: Oil Conservation Commission
Santa Fe, New Mexico

1. The first part of the paper is devoted to the study of the properties of the function $f(x)$ defined by the equation

$$f(x) = \frac{1}{x}$$

and

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is

1. The first part of the paper is devoted to the study of the properties of the function $f(x)$ defined by the equation $f(x) = \frac{1}{x}$. The function $f(x)$ is defined for all $x \neq 0$ and is continuous on $(-\infty, 0) \cup (0, \infty)$. The function $f(x)$ is strictly decreasing on $(-\infty, 0)$ and strictly increasing on $(0, \infty)$. The function $f(x)$ has a horizontal asymptote at $y = 0$ and a vertical asymptote at $x = 0$.

2. The second part of the paper is devoted to the study of the properties of the function $f(x)$ defined by the equation $f(x) = \frac{1}{x}$. The function $f(x)$ is defined for all $x \neq 0$ and is continuous on $(-\infty, 0) \cup (0, \infty)$. The function $f(x)$ is strictly decreasing on $(-\infty, 0)$ and strictly increasing on $(0, \infty)$. The function $f(x)$ has a horizontal asymptote at $y = 0$ and a vertical asymptote at $x = 0$.

3. The third part of the paper is devoted to the study of the properties of the function $f(x)$ defined by the equation $f(x) = \frac{1}{x}$. The function $f(x)$ is defined for all $x \neq 0$ and is continuous on $(-\infty, 0) \cup (0, \infty)$. The function $f(x)$ is strictly decreasing on $(-\infty, 0)$ and strictly increasing on $(0, \infty)$. The function $f(x)$ has a horizontal asymptote at $y = 0$ and a vertical asymptote at $x = 0$.

4. The fourth part of the paper is devoted to the study of the properties of the function $f(x)$ defined by the equation $f(x) = \frac{1}{x}$. The function $f(x)$ is defined for all $x \neq 0$ and is continuous on $(-\infty, 0) \cup (0, \infty)$. The function $f(x)$ is strictly decreasing on $(-\infty, 0)$ and strictly increasing on $(0, \infty)$. The function $f(x)$ has a horizontal asymptote at $y = 0$ and a vertical asymptote at $x = 0$.

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