

OIL CONSERVATION COMMISSION

BOX 2045

HOBBS, NEW MEXICO

Date April 11, 1957

OIL CONSERVATION COMMISSION
BOX 871
SANTA FE, NEW MEXICO

Re: Proposed NSP _____
Proposed NSL 97

Gentlemen:

I have examined the application dated 4/5/57
for the Sunray Mid-Continent Oil Co. Linam Hardy Unit #1 29-21-37
Operator Lease and Well No. S-T-R

and my recommendations are as follows:

O.K.—E.J.F.

O.K.—J.W.R.

Yours very truly,

OIL CONSERVATION COMMISSION

Engineer

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